

# Encryption of DES Algorithm in Information Security

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**Abstract:** Information security is the protection of personal and non-personal data from various threats to guarantee privacy. For business practices, data security can reduce business risk, and increase the return of investment and business opportunities. In designing information system security systems, there are information security aspects that need to be considered. Many threats will come before the information circulating. Information is a matter that will be targeted by wild parties. Cryptographic algorithms are needed to protect data from these threats. Data Encryption Standard (DES) belongs to the symmetry cryptography system and is classified as a block cipher type. DES operates on 64-bit block size. DES encrypts 64 plaintext bits into 64-bit ciphertext using 56 private key bits or subkeys. The internal key is generated from an external key that is 64 bits long. The DES method is an excellent cryptographic technique used to secure data. DES has 16 rounds to ensure safer data against unexpected attacks. Applying DES to data encryption will be very useful for protecting data.

**Keywords:** DES, encryption, decryption, algorithm.

## 1. INTRODUCTION:

The digital age is an era where data is exchanged through bits on the internet network [1]–[3]. It causes security of the data is not guaranteed. Data can be intercepted during the shipping process. Networks that have been connected to a global network are networks that can be dismantled by anyone [4]. Information is one of the essential assets to be protected by its security. Users need to pay attention to the security of the information assets. Leakage of information and failure of the system can result in losses for users of that information. Data leakage can occur due to intentional or accidental [5]. It will be detrimental to both the financial side and one's productivity [6]. Data security is quality or state of being secure-to be free from danger. Some things that need to be considered to determine the security strategy are as follows:

- Physical Security, a strategy that focuses on securing organizational members, physical assets, unauthorized access and workplaces from various threats including fire hazards
- Personal Security, a more focused strategy to protect people in the organization
- Operation Security, a strategy to secure the ability of an organization or company to work without threats.
- Communications Security, a strategy that aims to secure information and information technology media.
- Network Security, a strategy that focuses on securing network equipment on organizational data.

Data security is a technique used to protect information from threats that might occur to guarantee information exchange [7]. It aims to reduce the level of risk and accelerate or maximize decision making. The level of security in information also depends on the level of sensitivity of the information in the database, information that is not too sensitive to the security system is not too tight, while for sensitive information, it is necessary to have a strict security level setting for access to that information [2], [8]–[11].

Cryptography is a technique used to protect data. Many techniques can be used to perform cryptographic processes. Cryptography involves the process of encryption and decryption [12]. The Data Encryption Standard (DES) algorithm is one technique that can be done to secure data [13]. This algorithm has a 64-bit encryption block. The key used is also 64-bit. The block length depends on the number of the plaintext used. This algorithm has a somewhat complicated process and stages. There is no complicated mathematical calculation process, but this algorithm has a substitution process that is complicated in several tables. By applying DES encryption, it is expected that the information sent will be safer and more secure [14]–[17].

## 2. THEORIES:

### 2.1 Substitution Cipher

Substitution ciphers are ciphers by substituting letters with other letters as specified. The main principle of substitution ciphers is to exchange each letter for plaintext with something [8], [18]–[20]. Substitution ciphers include classical cryptographic algorithms. The idea is to replace one or more letters in plaintext with one or more letters in plaintext with specific rules. These rules depend on the process of encryption and decryption. Substitution ciphers have several variants or types [21]. Types of substitution ciphers are:

- *Monoalphabetic Cipher*. This type of substitution cipher is often also called a simple substitution cipher. The idea of single-alphabet substitution ciphers is to replace one character in plaintext into one character in the ciphertext with specific rules. The ciphering function is one to one function.
- *Homophonic Substitution Cipher*. The idea of a homophonic substitution cipher is to replace one character in plaintext into one or more characters in the ciphertext. The ciphering function is one to many functions.
- *Alphabetic Substitution Cipher*. This type of substitution cipher can be called a double substitution cipher. Multiple-alphabet substitution ciphers are single-alphabet substitution ciphers that use different keys. Therefore, compound-substitution ciphers have periods m, m is the key length.
- *Polygram Substitution Cipher*. The idea of a polygram substitution cipher is to replace a character block with a ciphertext block. Blocks consist of one or more characters. For example, AAA was changed to BCD or PAP, and others.

**2.2 Data Encryption Standard (DES)**

Data Encryption Standard (DES) is a block cipher algorithm that is popular because it is used as a standard key-symmetry encryption algorithm, although at this time the standard has been replaced by a new algorithm, AES because DES is considered unsafe again. DES is the name of the symmetry encryption standard, the name of the encryption algorithm itself is DEA (Data Encryption Algorithm), but the DES name is more popular than DEA. The DES algorithm was developed at IBM under the leadership of W.L. Tuchman in 1972. This algorithm is based on the Lucifer algorithm created by Horst Feistel. This algorithm has been approved by the National Bureau of Standard (NBS) after its strength assessment by the United States National Security Agency (NSA) [22]–[24]

**3. METHODOLOGY:**

The DES algorithm requires several substitution tables. Tables are substitution, compression, expansion, inversion, and breakdown. These tables are used when performing encryption stages. The following are the tables used to perform DES encryption [25].

**Table 1. Initial Permutation**

58	50	42	34	26	18	10	2
60	52	44	36	28	20	12	4
62	54	46	38	30	22	14	6
64	56	48	40	32	24	16	8
57	49	41	33	25	17	9	1
59	51	43	35	27	19	11	3
61	53	45	37	29	21	13	5
63	55	47	39	31	23	15	7

**Table 2. Permutation Compression 1**

57	49	41	33	25	17	9
1	58	50	42	34	26	18
10	2	59	51	43	35	27
19	11	3	60	52	44	36
63	55	47	39	31	23	15
7	62	54	45	38	30	22
14	6	61	53	45	37	29
21	13	5	28	20	12	4

**Table 3. Left Shift**

Round	Number of Shifts (Left Shift)
1	1
2	1
3	2

4	2
5	2
6	2
7	2
8	2
9	1
10	2
11	2
12	2
13	2
14	2
15	2
16	1

**Table 4.** Permutation Compression 2

14	17	11	24	1	5
3	28	15	6	21	10
23	19	12	4	26	8
16	7	27	20	13	2
41	52	31	37	47	55
30	40	51	45	33	48
44	49	39	56	34	53
46	42	50	36	29	32

**Table 5.** Permutation Compression 2

32	1	2	3	4	5
4	5	6	7	8	9
8	9	10	11	12	13
12	13	14	15	16	17
16	17	18	19	20	21
20	21	22	23	24	25
24	25	26	27	28	29
28	29	30	31	32	1

**Table 6.** S-Box

S1																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	14	4	13	1	2	15	11	8	3	10	6	12	5	9	0	7
01	0	15	7	4	14	2	13	1	10	6	12	11	9	5	3	8
10	4	1	14	8	13	6	2	11	15	12	9	7	3	10	5	0
11	15	12	8	2	4	9	1	7	5	11	3	14	10	0	6	13
S2																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	15	1	8	14	6	11	3	4	9	7	2	13	12	0	5	10
01	3	13	4	7	15	2	8	14	12	0	1	10	6	9	11	5
10	0	14	7	11	10	4	13	1	5	8	12	6	9	3	2	15
11	13	8	10	1	3	15	4	2	11	6	7	12	0	5	14	9
S3																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	10	0	9	14	6	3	15	5	1	13	12	7	11	4	2	8
01	13	7	0	9	3	4	6	10	2	8	5	14	12	11	15	1
10	13	6	4	9	8	15	3	0	11	1	2	12	5	10	14	7
11	1	10	13	0	6	9	8	7	4	15	14	3	11	5	2	12
S4																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111

00	7	13	14	3	0	6	9	10	1	2	8	5	11	12	4	15
01	13	8	11	5	6	15	0	3	4	7	2	12	1	10	14	9
10	10	6	9	0	12	11	7	13	15	1	3	14	5	2	8	4
11	3	15	0	6	10	1	13	18	9	4	5	11	12	7	2	14
<b>S5</b>																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	2	12	4	1	7	10	11	6	8	5	3	15	13	0	14	9
01	14	11	2	12	4	7	13	1	5	0	15	10	3	9	8	15
10	4	2	1	11	10	13	7	8	15	9	12	5	6	3	0	14
11	11	8	12	7	1	14	2	13	6	15	0	9	10	4	5	3
<b>S6</b>																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	12	1	10	15	9	2	6	8	0	13	3	4	14	7	5	11
01	10	15	4	2	7	12	9	5	6	1	13	14	0	11	3	8
10	9	14	15	5	2	8	12	3	7	0	4	10	1	13	11	6
11	4	3	2	12	9	5	15	10	11	14	1	7	6	0	8	13
<b>S7</b>																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	4	11	2	14	15	0	8	13	3	12	9	7	5	10	6	1
01	13	0	11	7	4	9	1	10	14	3	5	12	2	15	8	6
10	1	4	11	13	12	3	7	14	10	15	6	8	0	5	9	2
11	6	11	13	8	1	4	10	7	9	5	0	15	14	2	3	12
<b>S8</b>																
	0000	0001	0010	0011	0100	0101	0110	0111	1000	1001	1010	1011	1100	1101	1110	1111
00	13	2	8	4	6	15	11	1	10	9	3	14	5	0	12	7
01	1	15	13	8	10	3	7	4	12	5	6	11	0	14	9	2
10	7	11	4	1	9	12	14	2	0	6	10	13	15	3	5	8
11	2	1	14	7	4	10	8	13	15	12	9	0	3	5	6	11

**Table 7. Permutation**

16	7	20	21	29	12	28	17
1	15	23	26	5	18	31	10
2	8	24	14	32	27	3	9
19	13	30	6	22	11	4	25

**Table 8. Inverse Permutation**

40	8	48	16	56	24	64	32
39	7	47	15	55	23	63	31
38	6	46	14	54	22	62	30
37	5	45	13	53	21	61	29
36	4	44	12	52	20	60	28
35	3	43	11	51	19	59	27
34	2	42	10	50	18	58	26
33	1	41	9	49	17	57	25

**2. RESULT AND DISCUSSION**

This section discusses testing the DES algorithm. The test is done by giving plaintext and keys each of eight characters. The following is a step illustration of the DES algorithm.

Step 1

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Plaintext =

	<b>C</b>	<b>O</b>	<b>M</b>	<b>P</b>	<b>U</b>	<b>T</b>	<b>E</b>	<b>R</b>
<b>DEC</b>	67	79	77	80	85	84	69	82
<b>HEX</b>	43	4F	4D	50	55	54	45	52

Key =

HEX	13	34	57	79	9B	BC	DF	F1
-----	----	----	----	----	----	----	----	----

Step 2

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Plain Bit = 0100001101001111010011010101000001010101010101000100010101010010  
 = LR is the PLAIN BIT value based on the order in the Permutation Table  
 LR = 11111111011100001110110010101110000000000000000000011010000011  
 = Separate LR into 2 parts L and R  
 L[0] = 1111111101110000111011001010111  
 R[0] = 0000000000000000000011010000011

Step 3: Generate Key

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Key Bit = 000100110011010001010111011110011001101110111100110111111110001  
 = CD is the KEY BIT value based on the order in the PC1 Table  
 CD = 11110000110011001010101011110101010101100110011110001111  
 = Separate CD into 2 parts C and D  
 C[0] = 1111000011001100101010101111  
 D[0] = 0101010101100110011110001111

Step 4: Slide bits C and D according to the sliding distance in the LeftShift Table

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C[0] = 1111000011001100101010101111	D[0] = 0101010101100110011110001111
C[1] = 1110000110011001010101011111	D[1] = 1010101011001100111100011110
C[2] = 1100001100110010101010111111	D[2] = 0101010110011001111000111101
C[3] = 0000110011001010101011111111	D[3] = 0101011001100111100011110101
C[4] = 0011001100101010101111111100	D[4] = 0101100110011110001111010101
C[5] = 1100110010101010111111110000	D[5] = 0110011001111000111101010101
C[6] = 0011001010101011111111000011	D[6] = 1001100111100011110101010101
C[7] = 1100101010101111111100001100	D[7] = 0110011110001111010101010110
C[8] = 0010101010111111110000110011	D[8] = 1001111000111101010101011001
C[9] = 0101010101111111100001100110	D[9] = 0011110001111010101010110011
C[10] = 010101011111110000110011001	D[10] = 1111000111101010101011001100
C[11] = 010101111111000011001100101	D[11] = 1100011110101010101100110011
C[12] = 010111111100001100110010101	D[12] = 0001111010101010110011001111
C[13] = 011111110000110011001010101	D[13] = 0111101010101011001100111100
C[14] = 111111000011001100101010101	D[14] = 1110101010101100110011110001
C[15] = 1111100001100110010101010111	D[15] = 1010101010110011001111000111
C[16] = 1111000011001100101010101111	D[16] = 0101010101100110011110001111

Step 5: K is a CD value based on the order in the PC2 table (64 to 48 bits)

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K[0] = 110010110011110110001011000011100001011111110101  
 K[1] = 00011011000000101110111111111000111000001110010  
 K[2] = 011110011010111011011001110110111100100111100101  
 K[3] = 01010101111110010001010010000101100111110011001  
 K[4] = 011100101010110111010110110110011010100011101  
 K[5] = 011111001110110000000111111010110101001110101000  
 K[6] = 011000111010010100111110010100000111101100101111  
 K[7] = 11101100100001001011011111101100001100010111100  
 K[8] = 11110111100010100011101011000001001110111111011

K[9] = 111000001101101111101011111011011110011110000001  
K[10] = 101100011111001101000111101110100100011001001111  
K[11] = 001000010101111111010011110111101101001110000110  
K[12] = 011101010111000111110101100101000110011111101001  
K[13] = 100101111100010111010001111110101011101001000001  
K[14] = 010111110100001110110111111100101110011100111010  
K[15] = 101111111001000110001101001111010011111100001010  
K[16] = 110010110011110110001011000011100001011111110101

Step 6: Expansion

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- = ER is the R value based on the order in the Expansion Table (32 to 48 bits)
- = B is a meeting between rows (bits 1, 6) and columns (bits 2 to 5) in the S-BOX Table
- = B produces 32 bits

The S-Box is a vital part of DES because it is the most challenging part to solve. It is because the S-Box is the only part of DES whose computation is not linear. Meanwhile, the design of the S-Box itself was not made public. Because of this, many suspect that the S-Box was designed in such a way as to provide a trapdoor.

Iteration 1

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= L is the previous R  
L[0] = 11111111101110000111011001010111  
= R is PB xor previous L  
R[0] = 0000000000000000000011010000011  
ER[0] = 10000000000000000000000000000110101000000110  
K[1] = 0001101100000101110111111111000111000001110010  
= LA is an XOR function on ER against K  
= ----- xor  
A[1] = 1001101100000101110111111111001010010001110100  
B[1] = 10000101010010000011001011101010  
= PB is B based on substitution in the Permutation table  
PB[1] = 00101000101100110100010011010001

Iteration 2

=====  
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= L is the previous R  
L[1] = 00000000000000000000011010000011  
= R is PB xor previous L  
R[1] = 11010111000010110011001010000110  
ER[1] = 011010101110100001010110100110100101010000001101  
K[2] = 011110011010111011011001110110111100100111100101  
= LA is an XOR function on ER against K  
= ----- xor  
A[2] = 000100110100011010001111010000011001110111101000  
B[2] = 11011100010000111000000011111001  
= PB is B based on substitution in the Permutation table  
PB[2] = 10001011110110011000110000010011

Iteration 3

=====  
=====

= L is the previous R  
L[2] = 11010111000010110011001010000110  
= R is PB xor previous L  
R[2] = 10001011110110011000101010010000  
ER[2] = 0100010101111110111100111100010101010010100001  
K[3] = 01010101111110010001010010000101100111110011001

= LA is an XOR function on ER against K  
= ----- xor  
A[3] = 000100001000001001111001100001111001101100111000  
B[3] = 11010110001111001011011001111111  
= PB is B based on substitution in the Permutation table  
PB[3] = 01101111101100101001110011111110

Iteration 4

=====

= L is the previous R  
L[3] = 10001011110110011000101010010000  
= R is PB xor previous L  
R[3] = 10111000101110011010111001111000  
ER[3] = 010111110001010111110011110101011100001111110001  
K[4] = 011100101010110111010110110110110011010100011101  
= LA is an XOR function on ER against K  
= ----- xor  
A[4] = 001011011011100000100101000011101111011011101100  
B[4] = 00101001110100001011101011111110  
= PB is B based on substitution in the Permutation table  
PB[4] = 00111111001110110100011110100001

Iteration 5

=====

= L is the previous R  
L[4] = 10111000101110011010111001111000  
= R is PB xor previous L  
R[4] = 10110100111000101100110100110001  
ER[4] = 11011010100101110000101011001011010100110100011  
K[5] = 011111001110110000000111111010110101001110101000  
= LA is an XOR function on ER against K  
= ----- xor  
A[5] = 101001100111101100000010100011101111101000001011  
B[5] = 01000001001111011000101011000011  
= PB is B based on substitution in the Permutation table  
PB[5] = 10010101001100101101100001000101

Iteration 6

=====

= L is the previous R  
L[5] = 10110100111000101100110100110001  
= R is PB xor previous L  
R[5] = 0010110110001011011101100111101  
ER[5] = 100101011011110001010110101110101100000111111010  
K[6] = 011000111010010100111110010100000111101100101111  
= LA is an XOR function on ER against K  
= ----- xor  
A[6] = 111101100001100101101000111010101011101011010101  
B[6] = 01101101110111000011010101000110  
= PB is B based on substitution in the Permutation table  
PB[6] = 00100100000110111111001111111000

Iteration 7

=====

= L is the previous R  
L[6] = 00101101100010110111011000111101  
= R is PB xor previous L  
R[6] = 10010000111110010011111011001001

ER[6] = 1100101000010111111001010011111101011001010011  
K[7] = 11101100100001001011011111101100001100010111100  
= LA is an XOR function on ER against K  
= ----- xor  
A[7] = 001001101001001101000101011010011100111011101111  
B[7] = 11100011011010110000010100101101  
= PB is B based on substitution in the Permutation table  
PB[7] = 11001000110000011110111001101100

Iteration 8

=====

= L is the previous R  
L[7] = 10010000111110010011111011001001  
= R is PB xor previous L  
R[7] = 11100101010010101001100001010001  
ER[7] = 111100001010101001010101010011110000001010100011  
K[8] = 111101111000101000111010110000010011101111111011  
= LA is an XOR function on ER against K  
= ----- xor  
A[8] = 000001110010000001101111100011100011100101011000  
B[8] = 00001000110110001000001111010101  
= PB is B based on substitution in the Permutation table  
PB[8] = 00000111001110010010100101100001

Iteration 9

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= L is the previous R  
L[8] = 11100101010010101001100001010001  
= R is PB xor previous L  
R[8] = 10010111110000000001011110101000  
ER[8] = 01001010111111100000000000010101111110101010001  
K[9] = 111000001101101111101011111011011110011110000001  
= LA is an XOR function on ER against K  
= ----- xor  
A[9] = 101010100010010111101011111001110001101011010000  
B[9] = 01101110111000011010101101001010  
= PB is B based on substitution in the Permutation table  
PB[9] = 11011001001110111010001110010100

Iteration 10

=====

= L is the previous R  
L[9] = 10010111110000000001011110101000  
= R is PB xor previous L  
R[9] = 00111100011100010011101111000101  
ER[9] = 100111111000001110100010100111110111111000001010  
K[10] = 101100011111001101000111101110100100011001001111  
= LA is an XOR function on ER against K  
= ----- xor  
A[10] = 001011100111000011100101001001010011100001000101  
B[10] = 00100001011100000100000101101101  
= PB is B based on substitution in the Permutation table  
PB[10] = 00001100000101010110111000100100

Iteration 11

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= L is the previous R  
L[10] = 00111100011100010011101111000101



= R is PB xor previous L  
R[10] = 10011011110101010111100110001100  
ER[10] = 010011110111111010101010101111110011110001011001  
K[11] = 001000010101111111010011110111101101001110000110  
= LA is an XOR function on ER against K  
= ----- xor  
A[11] = 01101110001000010111100101100001111011111011111  
B[11] = 010111100000110011011011111000010  
= PB is B based on substitution in the Permutation table  
PB[11] = 011100010011111101011000001010011

Iteration 12

=====

= L is the previous R  
L[11] = 10011011110101010111100110001100  
= R is PB xor previous L  
R[11] = 01001101010011111000101110010110  
ER[11] = 00100101101010100101111110001010111110010101100  
K[12] = 011101010111000111110101100101000110011111101001  
= LA is an XOR function on ER against K  
= ----- xor  
A[12] = 010100001101101110101010010100010001101101000101  
B[12] = 01101000000010110011011010101101  
= PB is B based on substitution in the Permutation table  
PB[12] = 10101000011010001000111011101001

Iteration 13

=====

= L is the previous R  
L[12] = 01001101010011111000101110010110  
= R is PB xor previous L  
R[12] = 00110011101111011111011101100101  
ER[12] = 100110100111110111111011111110101110101100001010  
K[13] = 100101111100010111010001111110101011101001000001  
= LA is an XOR function on ER against K  
= ----- xor  
A[13] = 00001101101110000010101000000000101000101001011  
B[13] = 11111001110110110010010010110011  
= PB is B based on substitution in the Permutation table  
PB[13] = 10000110110010111100111111001011

Iteration 14

=====

= L is the previous R  
L[13] = 00110011101111011111011101100101  
= R is PB xor previous L  
R[13] = 11001011100001000100010001011101  
ER[13] = 111001010111110000001000001000001011111011  
K[14] = 010111110100001110110111111100101110011100111010  
= LA is an XOR function on ER against K  
= ----- xor  
A[14] = 101110100011111110111111110100100110010111000001  
B[14] = 10111000011111101100010111000001  
= PB is B based on substitution in the Permutation table  
PB[14] = 00000101110111010011101001001111

Iteration 15

=====

= L is the previous R  
 L[14] = 11001011100001000100010001011101  
 = R is PB xor previous L  
 R[14] = 00110110011000001100110100101010  
 ER[14] = 000110101100001100000001011001011010100101010100  
 K[15] = 10111111001000110001101001111010011111100001010  
 = LA is an XOR function on ER against K  
 = ----- xor  
 A[15] = 101001010101001010001100010110001001011001011110  
 B[15] = 0100000100111001111011100100111  
 = PB is B based on substitution in the Permutation table  
 PB[15] = 10100101001001101110110011101100

Iteration 16

=====

= L is the previous R  
 L[15] = 00110110011000001100110100101010  
 = R is PB xor previous L  
 R[15] = 01101110101000101010100010110001  
 ER[15] = 1011010111010101000001010101010001010110100010  
 K[16] = 11001011001111011000101100001110000101111110101  
 = LA is an XOR function on ER against K  
 = ----- xor  
 A[16] = 011111101110100010001110010110110000001001010111  
 B[16] = 10000001011010101111011101001011  
 = PB is B based on substitution in the Permutation table  
 PB[16] = 00101001111101110110100011001100

= L is the previous R  
 L[16] = 01101110101000101010100010110001  
 = R is PB xor previous L  
 R[16] = 00011111100101111010010111100110

Step 7: Join LR

=====  
 RL = 00011111100101111010010111100110011011101010001010100010110001  
 = CT is an RL value based on substitution in the Inverse Permutation table  
 CT = 0101011011110001110101011100100001010010101011111000000100111111  
 Hex = 56 F1 D5 C8 52 AF 81 3F

Ciphertext =

	<b>13</b>	<b>34</b>	<b>57</b>	<b>79</b>	<b>9B</b>	<b>BC</b>	<b>DF</b>	<b>F1</b>
<b>DEC</b>	19	52	87	121	155	188	223	241
<b>CHAR</b>	!!	4	W	y	>	¼	ß	ñ

4. CONCLUSION:

DES is a block cipher that operates with a 64-bit size. This algorithm is included in the substitution algorithm which is difficult to solve because it has 16 iterations during the encryption process. The DES algorithm can secure messages securely enough and give the Avalanche effect where each character that is secured using this DES algorithm is entirely unreadable and disappears on the ciphertext. The eight character key length used in the Data Encryption Standard algorithm can be said to be quite safe because when tested using the brute force method it takes more than 10 hours on average to find the password used. The use of this algorithm is beneficial for users in sending information on global networks. This algorithm does not require complicated mathematical calculations. This algorithm works by substituting the position of the plaintext matrix and the key to create a new character that is a ciphertext.

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